Foundations of programming (continued)

Functional abstraction, self-defined methods

Phenomenon to deal with: repetition of **identical or almost identical code fragments** – especially if these fragments are quite long.

Problems:

(1) Changes in the code have to be repeated for each occurrence of the code fragment.

(2) Code cannot occur in itself – recursive algorithms cannot be coded directly.

Solution: **methods** (in OO-languages) and **procedures and functions** (in non-OO languages).

Methods can be used like extensions of the language.

Example: compute maximum of two integers

```
int max(int p1, int p2)
{
    return (p1>p2 ? p1 : p2);
}
```

Use of the method:

int a, b; int x;

x = max(a,b);

Example: compute the factorial of an integer

```
Reminder: "factorial" n! = n * (n-1) * ... * 3 * 2 * 1.
```

```
Recursion: Compute factorial
```

```
int fac(int i)
{
    if(i<=1)
    {
        return 1;
    }
    else
    {
        return i*fac(i-1);
    }
}</pre>
```

For this problem, **nobody would use recursion**! A simple whileloop would suffice. Recursion can be unnecessarily **inefficient**. Example (**prog_ex03.rgg**): Usage of compound data structures (*arrays*)

The same as an extra method:

Example: compute the sum of the elements of an array:

```
int computeSum(int[] p)
Ł
 // This variable accumulates the result.
 int r = 0;
  // This variables points to the different positions in (p),
 // starting at 0 and running to the end.
 int i = 0;
 // Run with (i) through (p), accumulating the sum of elements in
 // (r).
 while(i < p.length)
   r = r + p[i];
    i = i + 1;
  }
 // Return result.
 return r;
}
```

Questions regarding computeSum: Details are important!

```
Does it work for empty (p)?
```

Is < the right comparison in the condition of the while clause, or would <= be right?</pre>

Should i start with another value than 0?

How could a solution look like in which i runs through p in the opposite direction?

General structure of method declaration (incomplete version)

```
<type> <methodName> ( <parameterlist, empty for no parameters> )
{
    <method body, including ``return <expression>''>
}
```

Method interface: type of return value, name of method, and types and names of parameters.

Method body: code fragment performing the work.

return statement: Execution leaves the method and returns the value of the expression as result.

Problems solved:

(1) Similar code **does not have to be repeated** – where it is needed, it is just **invoked** or **called** with the proper parameters. Changes only have to be done **once**.

(2) Recursion can be coded directly.

Further consequences:

(3) Functionality of code fragments can be **documented by giving a symbolic name** to a code fragment.

(4) Code fragments **are usable without that all the details are known** – only knowledge about the **interface** and the **I/O-behavior** is necessary. Consequence: Implementation can be changed.

Method call: e.g. x = max(a, b);

Effects:

- control flow jumps from the place where the method is called to the place where the method is defined
- the method is executed
- the control flow jumps back to the place where the method was called and the return value is assigned to x.

Control structures of Java

control structures:

language concepts designed to control the flow of operations

- typical for the imperative programming paradigm

particularly: *branching* of the programme; *loops*.

Variants of branching:

```
if(<condition>)
{
    <Code for fulfilled condition>
}
```

(if the condition is false, nothing happens)

```
if (<condition>)
    {
        <Code for fulfilled condition>
    }
else
    {
        <Code for unfulfilled condition>
    }
```

Nesting of **if...else** possible:

```
if(<cond1>)
{
    <Code for fulfilled <cond1>>
}
else if(<cond2>)
{
    <Code for non-fulfilled <cond1>, but fulfilled <cond2>>
}
else
{
    <Code to be executed if NO condition is fulfilled>
}
```

Example application: Finding the solutions of a quadratic equation ("pq-formula")

```
else
      if (y < 1e-20)
         {
         // term under the square root is zero.
         // One solution.
         result = new double[1];
         result[0] = x;
         }
      else
         {
         // term under the square root is
         // positive. Two solutions.
         double z = Math.sqrt(y);
         result = new double[2];
         result[0] = x + z;
         result[1] = x - z;
         }
   return result;
   }
module A(double p, double q) extends Sphere(3);
protected void init()
{
   Γ
   Axiom ==> A(0, 0);
   1
   println("Click on object for input (p,q)!");
}
public void calculate()
{
   double[] res;
   double p, q;
   Γ
   a:A ==> \{ p = a[p]; q = a[q]; \};
   1
```

```
res = solve_quadratic(p, q);
if (res.length == 0)
    println("There is no solution.");
if (res.length == 1)
    println("Single solution: " + res[0]);
if (res.length == 2)
    {
    println("First solution: " + res[1]);
    println("Second solution: " + res[0]);
    }
```

Loops:

}

We have already introduced the while loop.

The for loop:

```
for (<Initialization>; <Condition>; <Increment>)
{
     <Code to be repeated>
}
Similar to:
<Initialization>;
while(<Condition>)
{
     <Code to be repeated>
     <Increment>
}
```

Application example:

```
static public int computeSum(int[] p)
{
    int result = 0;
    for(int i=0; i<p.length; ++i)
    {
        result += p[i];
    }
    return result;
}</pre>
```